

REPORT NO. 3

NASA RESEARCH GRANT

NGL 22-011-024

# REPORT NO. 3 NASA RESEARCH GRANT NGL 22-011-024

## A STUDY OF MICROMINIATURIZED DEVICES FOR BIOASTRONAUTICAL MONITORING OR ANALYSIS

by

B. L. Cochrun

J. S. Rochefort

Electronics Research Laboratory
Northeastern University
Boston, Massachusetts
1 March 1969

The research reported here was sponsored by the National Aeronautics and Space Administration under Research Grant NGL 22-011-024 for the period from 1 September 1968 through 28 February 1969. This report is published for information purposes only and does not represent recommendations or conclusions of the sponsoring agency. Reproduction in whole or part is permitted for any purpose of the United States Government.

### RESEARCH STAFF

- Basil. L. Cochrun, Co-principal Investigator
  Associate Professor of Electrical Engineering
- J. Spencer Rochefort, Co-principal Investigator
  Professor of Electrical Engineering
- K. Hergenrother
  Research Associate
- H. Mahdi
  Phd. Candidate

#### I. Introduction

Since the last report, Report No. 2, progress has been made in the areas of active circuit synthesis using RC distributed networks, d-c to d-c converters, digital filters and a preliminary oximeter using electroluminescent solid state diodes in a pulsed mode of operation.

The problem of miniaturization using hybrid techniques has been under investigation. This has involved the search for suitable substrates and chip components such as transistors, resistances and capacitors. The latter two items are in hand. The principal component problem is the availability of the necessary FET's in chip form at a reasonable cost. The required units are available only in large quantities and at a prohibitive cost. The difficulty may be ameliorated by the progress achieved in the d-c to d-c converters which will make less necessary the tight restrictions on the FET's now being used in the modular buffer amplifier.

#### II. Active Circuit Synthesis

Mr. H. Mahdi's doctoral thesis proposal was accepted by the Electrical Engineering Faculty of Northeastern University and he has continued his work involved with the synthesis of active circuits using distributed RC networks.

During this period, synthesis of RC distributed active circuits using exponentially tapered RC distributed networks,  $\overline{ERC}$ , were investigated. Since  $\overline{ERC}$  distributed networks offer far better roll off than uniform RC distributed network,  $\overline{URC}$ , the original intension was to achieve third order Butterworth magnitude response by replacing the  $\overline{URC}$  in Figure 1 with an  $\overline{ERC}$ . The system voltage transfer function of the circuit in Figure 1 using  $\overline{ERC}$  can be expressed as

$$T_{(s)} = \frac{V_3}{V_1} = \frac{\frac{K}{1-K}}{(\cosh \theta + \frac{\alpha d}{2\theta} \sinh \theta) e^{\frac{-\alpha d}{2}} + \frac{K}{1-K}}$$
(1)

where 
$$\theta = \sqrt{(\frac{\alpha d}{2})^2 + ST_o}$$

αd = tapering factor

and To = per unit length time constant.

A plot of the magnitude response of the system transfer function given in equation (1) under maximally flat magnitude conditions showed a roll off of 13dB per octave rather than 18dB which is the required cut off rate for the third order Butterworth magnitude response. Although the magnitude response is not effected as the tapering factor,  $\alpha d$ , is increased, the phase response is substantially linearized. Furthermore, since the magnitude response is not effected substantially by the tapering factor, it is possible to synthesize the magnitude response of a pair of complex conjugate poles at any pole angle using  $\overline{ERC}$  networks.

It is felt that these circuits could be used for the synthesis of low-pass filters having the magnitude response of Butterworth functions and the phase linearity associated with the transitional Butterworth-Thomson functions. They could be used for the simultaneous realization of magnitude response of

low-pass Thomson filters having the phase linearity associated with higher order Thomson functions. These characteristics are not obtainable from lumped RC active synthesis.

Another advantage achieved by using ERC networks is the reduction of the gain required for the realization of a pair of complex conjugate poles at any pole angle. Since the sensitivity of Q (pole quality) to changes in gain is defined as

$$S_K^Q = \frac{\Delta Q/Q}{\Delta K/K} = \frac{K}{Q} \frac{\Delta Q}{\Delta K}$$
 (2)

this could mean that lower Q sensitivity to changes in gain can be achieved by using  $\overline{ERC}$  networks. Reduction in gain and improvement in Q sensitivity to changes in gain makes these circuits attractive for high-frequency applications.

At this time the details of the progress in this area are being prepared for submission to the IEEE Transactions on Circuit Theory for publication as two papers. The first paper would be concerned with the work on active synthesis using URC networks. It would include design tables based on dominant poles of the transfer function rather than those obtained by matching the magnitude response of the system transfer function of Figure 1 with a pair of complex conjugate poles (see Table 1), the effect of the non-dominant poles on phase and transient response and Q sensitivity to variations in gain at all pole angles.

The second paper will cover the synthesis of linear phase low-pass transfer functions using exponentially RC distributed networks. The subject matter will include (1) design tables based on magnitude response matching techniques; (2) calculation of phase linearity as a function of tapering factor ad and study of Q sensitivity to variation in gain K and tapering factor ad; (3) realization of low-pass filters having maximally flat magnitude response and possibly maximally flat group delay.

#### III. D-c to D-c Converters

It was noted in the last semi-annual report that significant improvement in the characteristics of the modular buffer amplifier was possible by operating at voltages greater than that of the mercury cell (i.e. 1.3 volts). In view of this fact effort was intensified to obtain larger voltages while still using single mercury cells as the primary source of power.

Any approach requiring transformers did not appear feasible on the basis of size and weight limitations. The conventional approach using diodes in typical doubler circuits, such as is illustrated in Figure 3, could not be employed because of the prohibitively large junction voltages associated with the diodes, (0.3 to 0.6 volts for germanium and silicon respectively), which are comparable to the potential of the mercury cell. Bipolar transistors, on the other hand, appeared quite attractive for this application since they have saturation characteristics which make them useful as near ideal switches. For example there are some transistors available which have collector-to-emitter saturation voltages less than 50 millivolts.

These considerations led to the basic circuit of Figure 4 which uses bipolar transistors as switches operating in the saturation mode. The switching voltages  $E_s$  and  $\overline{E}_s$  are  $180^{\circ}$  out of phase with a maximum voltage equal to the d-c supply voltage  $V_s$ . With  $E_s$ =0 volts,  $C_1$  charges to  $V_s$ - $V_{CE1}$ (sat). With  $E_s$ = $V_s$  and  $\overline{E}_s$ =0 volts the voltage at point A reaches  $2V_s$ - $V_{CE1}$ (sat) and  $C_2$  charges to  $2V_s$ - $2V_{CE}$ (sat), assuming equal saturation voltage for the two transistors. Using transistors with saturation voltages of 10 millivolts, circuits have been constructed which give output voltages of 2.68 volts when a supply voltage of 1.35 volts is used.

The original switching voltage was obtained from a commercial laboratory pulser. Having proven the feasibility of this approach to voltage doubling, attention was given to incorporating the clock switching circuit as an integral part of the complete converter. Based upon the experience gained from the design of the buffer amplifier, it was decided to develop a free running multivibrator which would operate from the common supply voltage of 1.3 volts. The clock circuit designed for this purpose is shown in Figure 5. For the circuit values shown, a square wave output voltage was obtained having rise and fall times of 30 and 20 nanoseconds respectively with an input current of 1ma.

A complete prototype doubler circuit is shown in Figure 6. The circuit characteristics are shown in Table II. With  $V_s$ =1.35 volts, an output voltage of 2.52 volts was obtained for a load current of 1.25ma. The efficiency for these conditions is 55.7%.

Extension of this basic concept is possible to obtain even higher voltages. An experimental quadrupler circuit was built which gave close to four times the input voltage. This was achieved by merely cascading two additional switching circuits with the original two of the doubler circuit.

#### IV. Digital Filters

The first stage of the digital filter investigation was completed during the previous report period. Parameter variation had been studied and the conclusion had been reached that appropriate filters were feasible. The second stage of the study was proposed for this report period and was to encompass the effect of component size and availability upon design.

First degree Butterworth filters have been constructed utilizing resistors, operational amplifiers and capacitors. One filter was constructed utilizing 5% off-the-shelf carbon resistors while a second utilized hand-selected values. Although Butterworth responses were realized in both instances, the cut-off frequency was 15% removed from the desired value when 5% resistors were used, but was within 1.5% when selected resistors were employed.

As indicated in the previous report, the Z-transform of a first degree Butterworth filter can be expressed as

$$\frac{Y(Z)}{X(Z)} = \frac{a Z^{-1}}{1-b Z^{-1}}$$
 (3)

where Y(Z) and X(Z) are the respective Z-transforms of output and input, a and b are weighted coefficients, and Z represents  $e^{ST}$  with the T the period of the sampling waveform. This equation may be rewritten as

$$Y(Z) = a W(Z) Z^{-1}$$
 (4)

where

$$W(Z) = X(Z) + b[W(Z) Z^{-1}].$$
 (5)

The inverse transform of (5) for the n<sup>th</sup> data sample becomes

$$w_n = x_n + b w_{n-1}$$
 (6)

and can be realized as indicated in Figure 7a with an adding circuit, an amplifier of gain b, and a delay T. With equation (6) thus realized the time response

indicated by (4) can be obtained by merely following the output from the system shown in Figure 7a with an amplifier of gain a. Since a linear circuit is involved, however, the same result is obtained if the amplifier is inserted before the adder as indicated in Figure 7b. This latter configuration can be readily handled in the adder synthesis.

The actual prototype filter was constructed with Analog Devices 141A operational amplifiers and M100 field effect transistors and is shown in Figure 7c. The adding circuit is comprised of resistors  $R_1$  and  $R_2$  working into the extremely high input impedance of the first 141A amplifier. The sizes indicated allow values of a=1-b and b=.544 to be realized. These values set the cut-off frequency at one tenth the input data rate. A General Radio Type 1210B RC Oscillator was used to generate a 10kHz square wave,  $\varphi$ , and its compliment,  $\overline{\varphi}$ . These waveforms served to sample the input data, store the current sum of  $ax_n + by_{n-1}$  on  $C_1$ , and then shift this sum to  $C_2$  a half period later to generate the new  $y_n$ . The output shown should be followed by a crude low-pass filter to eliminate the pass-bands which are centered about the harmonics of the sampling frequency. This filter was omitted from this model but will be employed with most higher order types.

It should be noted that the operational amplifiers are used as unity gain, non-inverting isolators and thus in any final design can be replaced by simple isolation circuits. The capacitance sizes are not critical provided that the associated time constants are small enough to allow quick charging during one half-period and then become large enough to retain the resulting voltage for the next half-period of the sampling frequency. The General Radio sampling source can be readily replaced with a compact astable multivibrator in any final package. Consequently, the resistors R<sub>1</sub> and R<sub>2</sub> remain as the only critical elements. When the design values of these components were synthesized with off-the-shelf 5% carbon resistors, a cut-off frequency of 850Hz was obtained. When an ohmmeter was used to select component sizes to provide 11.9K and 10.0K resistances, a cut-off frequency of 985Hz was realized. In a final system hybrid circuitry would probably be used and the required tolerances for resistance values are within the state of the art.

#### V. Prototype Oximeter

The preliminary oximeter circuit consists of a dual pulser, two light diodes and a photo-diode-operational-amplifier detector.

The dual pulser, which was designed and constructed here at Northeastern, is capable of driving the light diodes independently with the outputs out of phase. The individual outputs are current sources with the output current continuously variable from 0-150ma. The circuit is shown in Figure 8.

The light diodes were fabricated here at Northeastern by Mr. Hergenrother. One diode emits light at 8200 Å and the other 6700 Å. They are mounted in a TO-5 header in close approximity to each other and sealed over with clear epoxy.

The detector is a commercial EGG combination photodiode and operational amplifier model HAD-130.

The initial tests of this system centered on attempting to evaluate the necessary pulse amplitude to achieve satisfactory operation in terms of signal-to-noise ratio. The primary source of noise appears to be that due to the photo diode. Noise was also encountered with the operational amplifier because of its large feedback resistance, however, this was of minor importance compared to the unacceptable level of d-c offset voltage. The latter seriously affected the dynamic range of operation of the amplifier. Additionally, the photodiode appeared unduly sensitive to temperature variation.

Consideration was given to designing an amplifier to follow the photodiode, however, it was felt that from the viewpoint of time it would be more expedient to temperature stabilize the existing commercial detector.

Despite the problems encountered to this point the preliminary tests are encouraging. Rather crude transmission tests using human skin do show a variation in the amplitude of the transmitted light pulses at the two different wavelengths. More definitive results will be possible once the detector difficulties are surmounted.

#### VI. Projections

Work on the d-c to d-c converters will be extended in an attempt to obtain operation at lower input voltages than that of the mercury cell. This will be necessary when nuclear cells with 0.4 volts potential become available in the future. Extension of the present effort will also be made to obtain dual polarity output voltages with single cells as the primary input power.

The design approach, circuit configurations and experimental techniques which were developed along with the prototype simple analog filter will enable quicker progress to be made in obtaining higher order filters. Development of prototype second and third order Butterworth filters, which is in progress, will be continued. Consideration will also be given to binary coded digital filters.

Work on the prototype oximeter will be intensified. There is a good possibility that a graduate student can be assigned to this project to do a thesis on a full time basis. Arrangements are being made to obtain tissue and blood samples for transmission and reflection tests once the stability problems have been solved.

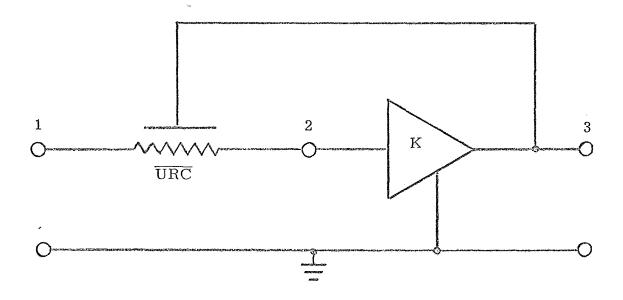


Figure 1. Active distributed RC circuit using  $\overline{\text{URC}}$  network of total time constant  $T_{o}$ .

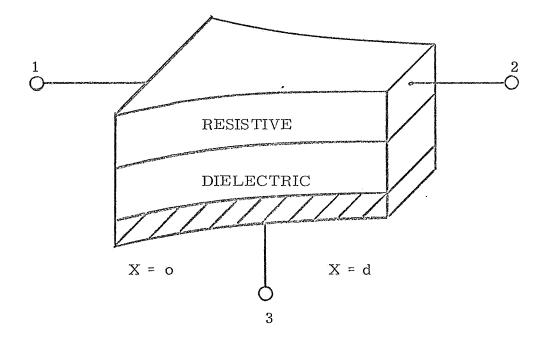


Figure 2. An exponentially tapered thin-film network having per unit length resistance and capacitance of  $r(x) = r_0 e^{\alpha x}$  and  $c(x) = c_0 e^{-\alpha x}$  respectively.

Table 1. Required K and  $\boldsymbol{T}_{on}$  for synthesis of a pair of complex conjugate poles at pole angle  $\gamma$ 

Pole Angle Y	K	T <sub>.</sub> on	Pole Angle Y	K	${ m T}_{ m on}$
1 2 3 4 5 6 7 8 9 10 112 3 14 15 16 17 18 9 20 1 22 22 24 25 6 7 28 9 30 1 32 33 4 35 6 7 38 9 40 1 42 43 44 45	.500 .500 .501 .502 .502 .503 .505 .506 .508 .509 .511 .513 .516 .518 .521 .524 .527 .533 .536 .540 .544 .548 .552 .560 .565 .569 .574 .589 .574 .589 .594 .605 .611 .616 .622 .628 .639 .645 .657 .664	9.870 9.873 9.876 9.882 9.888 9.897 9.907 9.918 9.931 9.945 9.961 9.979 9.998 10.018 10.041 10.065 10.090 10.117 10.146 10.176 10.209 10.242 10.278 10.355 10.355 10.355 10.355 10.396 10.438 10.483 10.530 10.578 10.629 10.681 10.736 10.736 10.975 11.040 11.107 11.177 11.249 11.324 11.401 11.481 11.563	46 $47$ $48$ $90$ $51$ $23$ $45$ $66$ $66$ $66$ $67$ $71$ $73$ $74$ $75$ $77$ $77$ $78$ $81$ $83$ $85$ $88$ $89$ $90$	.670 .676 .682 .689 .695 .701 .708 .714 .727 .733 .740 .746 .753 .759 .765 .772 .778 .790 .802 .808 .814 .826 .832 .838 .849 .826 .832 .838 .849 .854 .860 .865 .875 .885 .895 .895 .908 .908 .912 .917 .921	11.648 11.736 11.826 11.919 12.016 12.115 12.217 12.323 12.432 12.544 12.660 12.779 12.902 13.029 13.159 13.294 13.433 13.576 13.723 13.875 14.032 14.193 14.360 14.532 14.709 14.891 15.079 15.274 15.474 15.681 15.894 16.114 16.342 16.576 16.819 17.069 17.328 17.595 17.871 18.157 18.452 18.757 19.074 19.739

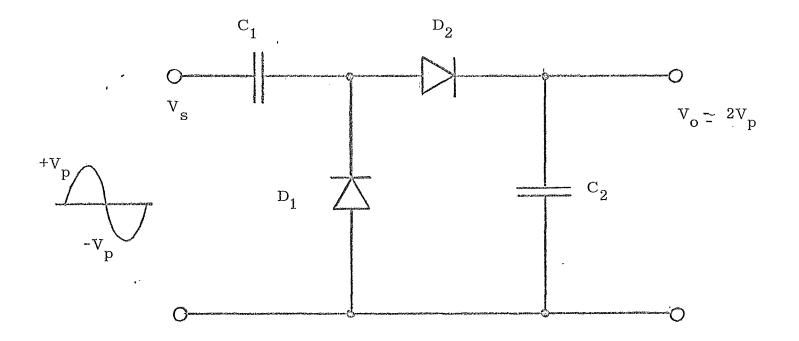


Figure 3. Typical voltage doubler circuit.

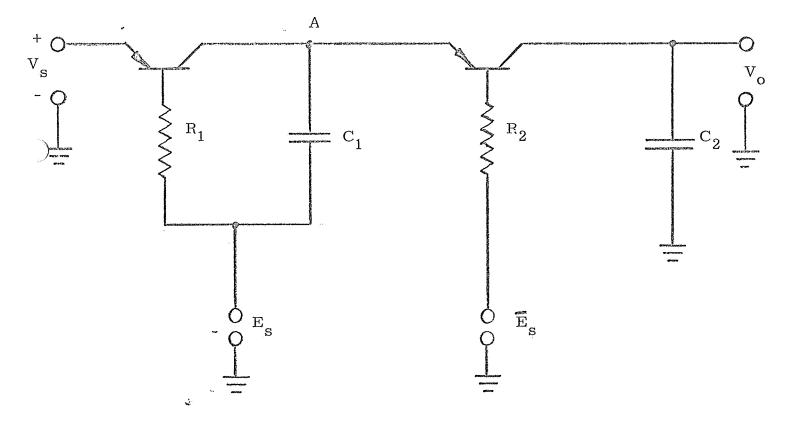


Figure 4. Voltage doubler using bipolar switches in saturation mode.

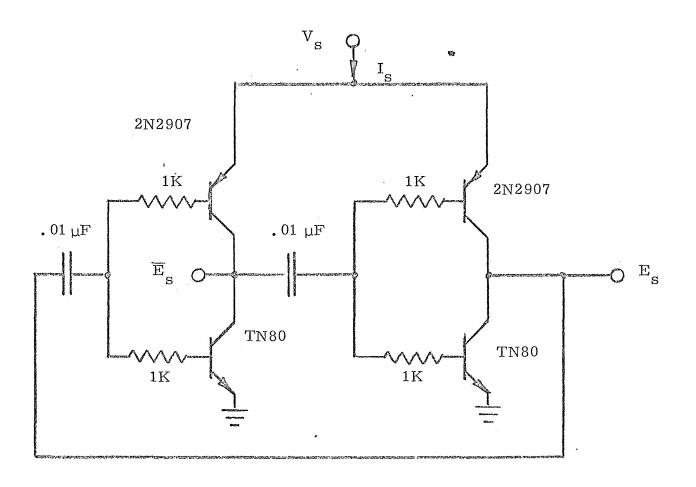


Figure 5(a). Voltage doubler clock circuit.

	V <sub>s</sub> (volts)	I <sub>s</sub> (ma)	t <sub>r</sub> (ns)	t <sub>f</sub> (ns)
	1.25	0 <b>.</b> 5	50	. 20
	1.35	1.0	30	20
,	1.45	1.7	30 .	20

Figure 5(b). Circuit characteristics of Figure 5(a).

Figure 5. Voltage doubler clock circuit and its characteristics, (a) circuit - (b) characteristics.

Figure 6. Complete voltage doubler circuit.

TABLE II

Load (ohms)	I <sub>s</sub> (ma)	V o (volts)	Efficiency (%)
8	2	2.623	0.0
20K	2.2	2.609	11.5
10K	2.4	2.598	20.8
5K	2.8	2.577	35.2
3K	3.5	2.548	45.8
2K	4.2	2.516	55.7

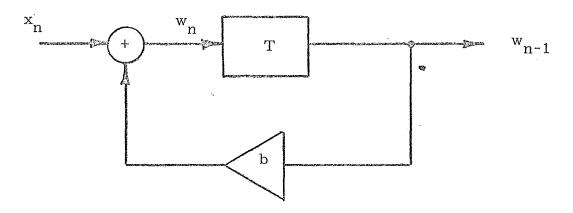


Figure 7a. Analog Version of Equation (6)

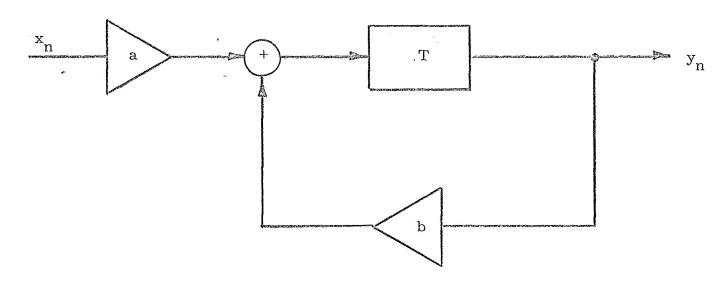


Figure 7b. Block Diagram of First Degree Filter

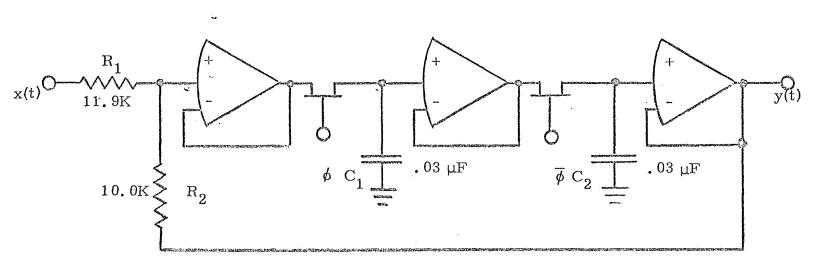


Figure 7c. First Degree Digital Filter

